

CONCEPT: HEATING AND COOLING CURVES

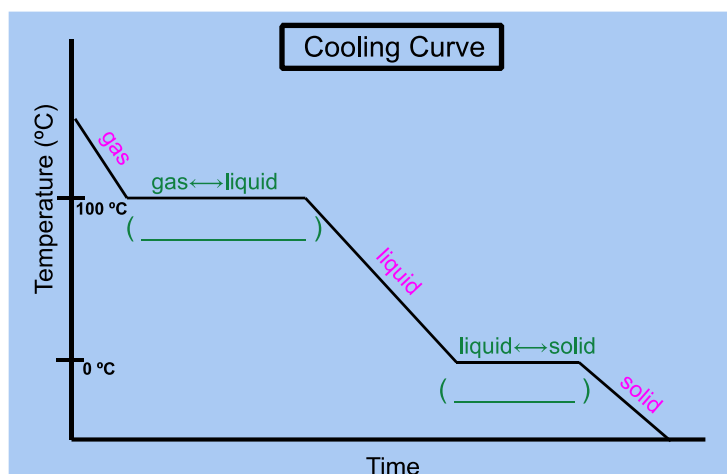
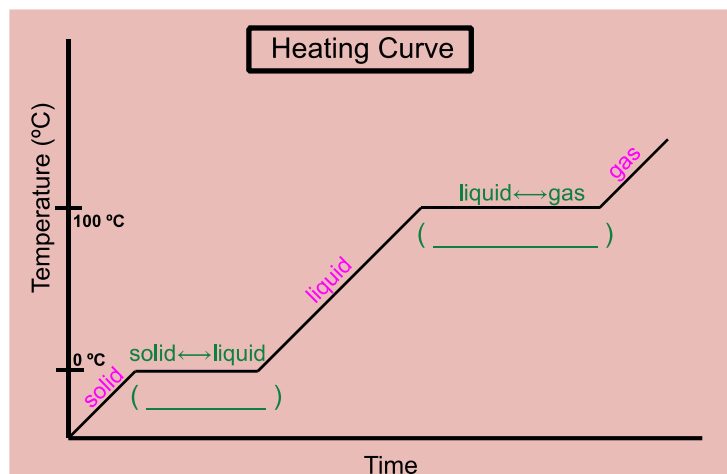
Introduction to Heating and Cooling Curves

- **Heating and Cooling Curves** represent amount of _____ absorbed or released by a substance during phase changes.

□ Heating Curve: endothermic process, _____

□ Cooling Curve: exothermic process, _____

Heating and Cooling Curves (Water)



- There are some significant _____ between temperature and phase changes.

Temperature Changes

□ Heat converted to _____ Energy

□ ____ Temp, ____ Kinetic Energy

Specific Heat Capacity Formula

$$q = mc\Delta T$$

Phase Changes

□ Heat converted to _____ Energy

□ Average Kinetic Energy is _____

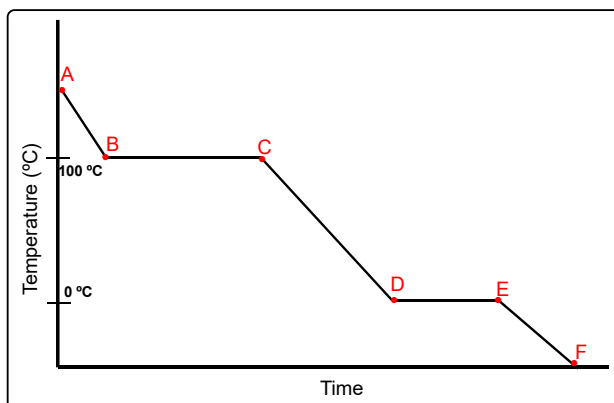
□ Temperature is _____

Enthalpy Formula (Phase Change)

$$q = m \underline{\hspace{1cm}}$$

EXAMPLE: Identify line segment on the diagram where specific heat of liquid water is used to calculate energy flow.

- a) A - B
- b) B - C
- c) C - D
- d) D - E
- e) E - F



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Calculations with Heating & Cooling Curves

- Recall the two formulas used to calculate heat at different parts of the curves.

Specific Heat Capacity Formula

$$q = mc\Delta T$$

Enthalpy Formula (Phase Change)

$$q = m\Delta H$$

- We will use this formula to calculate the _____ involved in a heating or cooling process.

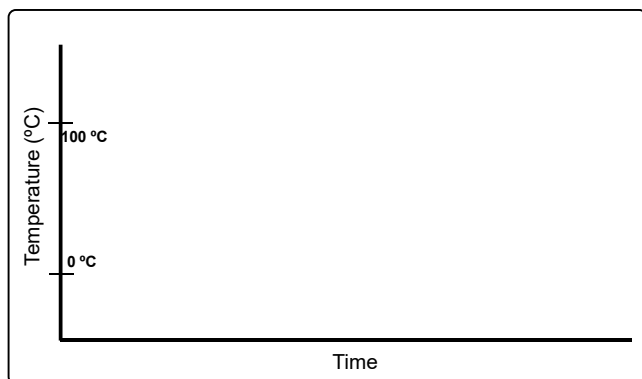
Total Energy Formula

$$q_{\text{total}} = q_1 + q_2 + q_3 + \dots$$

EXAMPLE: How much total energy (J) is required to convert 55.8 g of ice at -5 °C to a gas at 100 °C?

STEP 1: Draw the necessary curve and label all the changes.

STEP 2: Identify all the heats (q) involved along with necessary formulas.



Specific Heat of Ice (c)	2.09 $\frac{\text{J}}{\text{g} \cdot ^\circ\text{C}}$
ΔH_{Fusion}	334 $\frac{\text{J}}{\text{g}}$
Specific Heat of Water (c)	4.184 $\frac{\text{J}}{\text{g} \cdot ^\circ\text{C}}$
$\Delta H_{\text{Vaporization}}$	2260 $\frac{\text{J}}{\text{g}}$
Specific Heat of Steam (c)	1.84 $\frac{\text{J}}{\text{g} \cdot ^\circ\text{C}}$

STEP 3: Calculate all the heats (q) involved using appropriate specific heats and enthalpies of a substance involved.

- Pay attention to the signs of enthalpy: $+\Delta H_{\text{Fusion}} = -\Delta H_{\text{Freezing}}$

STEP 4: Calculate total energy involved by adding together all heats from **STEP 3**.

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PRACTICE: How much energy (kJ) is required to convert a 76.4 g acetone (MM= 58.08 g/mol) as a liquid at -30 °C to a solid at -115.0 °C?

a) -11.406 kJ

b) -39.820 kJ

c) -22.811 kJ

d) -82.592 kJ

Specific Heat of Solid	$1.65 \frac{\text{J}}{\text{g} \cdot ^\circ\text{C}}$
ΔH_{Fusion}	$7.27 \frac{\text{kJ}}{\text{mol}}$
Specific Heat of Liquid	$2.16 \frac{\text{J}}{\text{g} \cdot ^\circ\text{C}}$
Specific Heat of Gas	$1.29 \frac{\text{J}}{\text{g} \cdot ^\circ\text{C}}$
Temp _{Melting}	-95.0 °C

PRACTICE: If 53.2 kJ of heat are added to a 15.5 g ice cube at -5.00 °C, what will be the resulting state and temperature of the substance?

a) 322.5 °C, gas

b) -3.70 °C, solid

c) 98.82 °C, liquid

d) 222.5 °C, gas

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